Paper No.	Name of the paper	Course	Marks	Lectures
MTMH-101	Classical Algebra &	A. Classical Algebra	30	75
	Trigonometry	B. Trigonometry	20	
MTMH-102	Differential Calculus &	A. Differential Calculus	40	75
	Integral Calculus-I	B. Integral Calculus-I	10	
MTMH-103	Geometry	Geometry	50	75
MTMH-201	Modern Algebra	Modern Algebra	50	75
MTMH-202	Integral Calculus-II &	A. Integral Calculus-II	10	75
	Differential Equations	B. Differential Equations	40	
MTMH-203	Vectors & Computer	A. Vectors	30	75
	Fundamentals	B. Computer Fundamentals	20	
MTMH-301	Real Analysis	Real Analysis	50	75
MTMH-302	Statics	Statics	50	75
MTMH-303	Linear Algebra	Linear Algebra	50	75
MTMH-401	Complex Analysis	Complex Analysis	50	75
MTMH-402	Dynamics	Dynamics	50	75
MTMH-403	Topology	Topology	50	75
MTMH-501	Numerical Analysis	Numerical Analysis	35	60
MTMH-502	Linear Programming Problem	Linear Programming Problem	50	75
MTMH-503	Optional	OP-1 Advanced Algebra OP-2 Special Functions	50	75
MTMH-601	Computer Programming, C	Computer Programming, C	35	60
MTMH-602	Number Theory	Number Theory	50	75
MTMH-603	Optional	OP-1 Advanced Analysis OP-2 Hydrodynamics	50	75
MTMH-604	Practical (Based on Paper-601)		30	45
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Total: Six Semesters: 19 Papers: Marks: 900(Theory: 870 + Practical: 30): 1365 Lectures (Duration: One Hour Per Lecture)

MTMH-101 CLASSICAL ALGEBRA & TRIGONOMETRY

(To answer one question from each unit. Each unit will have provision for internal choice.)

GROUP-A CLASSICAL ALGEBRA

(Marks - 30)

Unit –I

Idempotent, nilpotent, involutory matrices, transpose of a matrix, conjugate of a matrix, symmetric and skew symmetric, Hermitian , skew Hermitian, orthogonal, unitary matrices; Adjoint of a square matrix, Jacobi's Theorem ; inverse of a square matrix, Elementary transformation on matrices, rank of a matrix ,echelon form, normal form, elementary matrices, inverse of a matrix from elementary matrices; Solution of a system of linear equations by matrix inverse and by Gaussian elimination method.

Unit –II

Relation between the roots and coefficients of a polynomials equations of nth degree, symmetric function of roots; Transformation of equations; Cardan's Method of solution of cubic equation; Descartes rule of signs. Inequalities involving Arithmetic and Geometric means; Cauchy-Schwarz's inequality; Minkowski's inequality.

Unit –III

Sequences and their convergence and divergence, Monotonic and Bounded Sequences, Cauchy sequence, sub sequence and theorem involving them. Cauchy's General principle of convergence and divergence and the theorems involving them.

Series of non negative terms, convergence and divergence of series of positive terms; tests of convergence - Comparison tests, d'Alembert's ratio tests; Raabe's tests, logarithmic tests, Cauchy root tests, Gauss test, alternating series- Leibnitz test; Absolute and conditional convergence.

Marks-10

Marks-10

GROUP-B TRIGONOMETRY

(Marks - 20)

Unit IV

De' Moivre's Theorem (for rational indices), Expansions of sin $n\theta$ & cos $n\theta$, Expansions of $\sin\theta \& \cos\theta$ in ascending powers of θ , Expansions of $\sin^n \theta \& \cos^n \theta$.

Unit V

Functions of complex arguments, Gregory's series, Summation of trigonometric series, Hyperbolic functions.

MTMH-102 DIFFERENTIAL CALCULUS & INTEGRAL CALCULUS-I

(To answer one question from each unit. Each unit will have provision for internal choice.)

GROUP-A DIFFERENTIAL CALCULUS (Marks - 40)

Unit –I

Limits, Cauchy's criterion for existence of limits, problems on limits, Continuity, Problems on continuity, Uniform continuity, Bounded functions - 1.u.b., g.1.b., Properties of continuous and bounded functions, Differentiability, problems on differentiability, Relation between continuity and differentiability.

Marks 10

Marks 10

Unit –II

Successive differentiation - Standard cases, Leibniz's theorem and its application (including values of $(y_n)_0$, Indeterminate forms - forms $0.\infty, \infty - \infty, 0^0 1^\infty \infty^0, \frac{\infty}{\infty}, \frac{0}{0},$

Application of L Hospital's Theorem, General Theorems - Rolle's Theorem, Lagrange and Cauchy forms of mean value Theorems. Statement, Proof and applications of Taylor's and Maclaurin's Theorems.

Unit –III

Taylor's and Maclaurin's Series, Expansions of functions e^{ax}, sinx, cosx, tanx., sinhx, coshx (Assuming $R_n \rightarrow 0$ as $n \rightarrow \infty$), Tangent and Normals – Equation and Properties of tangents and normal, sub tangents and sub normal of cartesian and polar curves.

Unit IV

Function of two or more variables- partial derivatives, Euler's Theorem Maxima and Minima -One variables function, necessary and sufficient conditions, Geometrical problems, Radius of curvature - Cartesian and polar curves, pedal curves.

GROUP-B INTEGRAL CALCULUS-I

(Marks - 10)

Unit V

Integrals- Definition and properties of definite integrals, Fundamentals theorem, Reduction formulae.

Marks-10

Marks 10

MTMH-103 GEOMETRY

(Marks -50)

(To answer one question from each unit. Each unit will have provision for internal choice.)

Unit –I

Change of axes, Pair of straight lines, General equation of second degree, Reduction to standard forms.

Unit –II

Tangent, Normal, Pole, Polar, Diameters and Conjugate diameters, Pair of tangents and Director circle.

Unit –III

Properties of Parabola, Ellipse, Hyperbola and applications, Polar equation of conic, Equations of chord, tangent, normal, Confocal conics.

Unit- IV

Equation of straight lines, Shortest distance between lines and its equation, Sphere.

Unit- V

Cone, cylinder, Conicoids; Tangent lines, Normals, Polar lines, Polar planes, Director sphere.

Marks 10

Marks 10

Marks-10

Marks-10

MODERN ALGEBRA

(Marks - 50)

(To answer one question from each unit. Each unit will have provision for internal choice.)

Mapping s, Countability of sets, Equivalence relations; Group,; permutation group, cyclic group Subgroup; Cosets and their properties ; Lagrange theorem for order of subgroup

Normal subgroups, Quotient groups, Homomorphism, Monomorphism, epimorphism, isomorphism and automorphism of groups and the theorems related to them(including three isomorphism theorems), Cay ley's theorem.

Definitions, Examples and simple properties of Rings. Integral domains, Skew fields, Fields

Sub rings and subfields; characteristics of a ring; quotient rings; Ideals; algebra of Ideals

Principal ideal, Prime ideal, and Maximal ideal, definition, examples and elementary result of Ring homomorphism

Unit –I

Unit –II

Unit –III

Unit -IV

Unit- V

Marks-10

Marks-10

Marks 10

Marks-10

INTEGRAL CALCULUS-II & DIFFERENTIAL EQUATIONS

GROUP-A

INTEGRAL CALCULUS-II

(Marks -10)

(To answer one question from each unit. Each unit will have provision for internal choice.)

Unit –I

Rectification of plane curves- Cartesian and polar curves, Area bounded by plane curves- polar curves, Volumes and surface of solid of Revolution about axes- Cartesian and polar curves.

GROUP-B

DIFFERENTIAL EQUATIONS

(Marks - 40)

Unit –II

Solution of first order and first degree differential equations-. Homogeneous equations., Exact equations. Linear equations(including Bernoulli's equation, and other simple cases reducible to linear equations), Differential equations of first order but of higher degree, Clairauts's equations.

Unit –III

Higher order linear differential equations- with constant coefficients, Homogeneous linear differential equations. Method of variation of parameters.

Unit -IV

Application of differential equations to simple cases, Orthogonal Trajectories, Higher order linear differential equations-Exact differential equations (with variable coefficient, Linear only), Reducing to exact by integrating factors.

Unit-V

Linear differential equations of 2nd order (Reducing to standard and normal forms only). Simultaneous differential equations and single(total) differential equations.

Marks-10

Marks 10

Marks 10

Marks-10

VECTORS & COMPUTER FUNDAMENTALS

GROUP-A

VECTORS

(Marks - 30)

(To answer one question from each unit. Each unit will have provision for internal choice.)

Unit –I

Vector equation- Vector equations of lines, Planes, Spheres. Vector functions – Differentiation of vector point functions, properties and applications.

Unit –II

Operation with del. Operator- Gradient, divergence and curl, their identities and application in simple problems.

Unit –III

Green's theorem, Stoke's theorem, Gauss theorem and their applications to simple problems.

GROUP-B

COMPUTER FUNDAMENTALS

(Marks - 20)

Introduction to computer and its components, bits, bytes, computer memory, RAM, ROM, I/O devices, on line and off line data entry, magnetic tape, disks etc., Software and Hardware concepts, computer generations, types of computer systems, field, record, files.

Unit- V

Unit -IV

Basic concept of Operating systems, Concepts of Complier, Interpreter, study of MS-DOS Operating system. Concept of different levels of languages, computer oriented procedures, Algorithms and flow charts.

Marks-10

Marks-10

Marks 10

Marks 10

REAL ANALYSIS

(Marks -50)

(To answer one question from each unit. Each unit will have provision for internal choice.)

Differentiation of function of several variables,: Young's theorem: Schwartz's theorem, Jacobian.

Unit –II

Unit –I

Maxima, Minima of more than one variables, Lagrange's method of multipliers.

Unit –III

Riemann integral, condition for integrability, classes of integrable function, Mean value theorems, Fundamental theorem of integral calculus

Unit- IV

Function defined by integrals- their continuity and differentiability. Improper integrals and their convergence, Beta, Gamma functions, Differentiation under integral sign.

Unit- V

Multiple integrals (in $R^2 \& R^3$), Green's theorem, Gauss's Theorem, and Stoke's theorem and applications.

Marks-10

Marks-10

Marks 10

Marks-10

STATICS

(Marks -50)

(To answer one question from each unit. Each unit will have provision for internal choice.)

Unit –I

Coplanar forces – Their resultant, condition of equilibrium and example involving contact with smooth planes, Friction – Laws of statical friction, equilibrium on rough planes and spheres.

Unit –II

Centre of gravity - C.G of a triangle formed by three rods, C.G. of an arc and a sector of circle, of a quadrant of an ellipse ,of a cardiode, of an astroid, and of a laminar bounded by a parabola and a line. C.G. of solid and surfaces of revolution, Three systems of pulleys.

Unit –III

Virtual work – Virtual displacement and virtual work, principle of virtual works for a system of coplanar forces, forces which can be omitted in the equation of a virtual work, simple problems.

Unit- IV

Equilibrium - Stable and unstable equilibrium, condition of stability and unstability, Energy tests for stability, simple problems

Unit- V

Catenary – The common catenary, important relation for the common catenary, Equilibrium of a string under any given force in a plane, deduction of equations

$$\frac{d}{ds} \overrightarrow{ds} \overleftarrow{dx} \overleftarrow{m} X = 0 \quad \frac{d}{ds} \overrightarrow{ds} \overleftarrow{m} Y = 0$$

Marks-10

Marks 10

Marks-10

Marks 10

LINEAR ALGEBRA

(Marks -50)

(To answer one question from each unit. Each unit will have provision for internal choice.)

Unit –I

Vector space, subspace, Linearly independence, basis and dimension, finitely generated vector spaces, Direct sum.

Unit –II

Linear transformation between two vector spaces, Isomorphism, Matrix of a linear transformation, Rank and Nullity of Matrices

Unit –III

Row and column reduction. Echelon form, homogeneous and non-homogeneous system of linear equations and their solution, existence theorem.

Unit -IV

Characteristic roots, Characteristic polynomial, Characteristic vector of a Linear transformation / matrix, Determination of Eigen value and Eigen vector,

Unit- V

Cayley-Hamilton's theorem; its application in finding inverse of matrix, Inner product space, Cauchy-Schwartz's inequality, Bessel's inequality, Dual space.

Marks 10

Marks 10

Marks-10

Marks-10

COMPLEX ANALYSIS

(Marks - 50)

(To answer one question from each unit. Each unit will have provision for internal choice.)

Unit –I

Algebra of complex numbers, Geometry of complex numbers, representation of complex numbers, geometrical interpretation of

$$\arg \frac{z-\alpha}{z-\beta}$$

family of straight lines and circles, locus representation by

$$\left|\frac{z-\alpha}{z-\beta}\right| = const$$

Unit –II

Complex functions- limit, continuity and derivability; Cauchy-Riemann equation, Harmonic functions.

Unit –III

Rectifiable curves, integral along an oriented curve, Cauchy's theorem, Cauchy's integral formula.

Unit- IV

Liovillis theorem, Morera's theorem, Fundamental theorem, Poles and Singularities.

Unit -V

Calculus of residues and evaluation of standard integrals.

Marks-10

Marks 10

Marks 10

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Marks-10

DYNAMICS

(Marks -50)

(To answer one question from each unit. Each unit will have provision for internal choice.)

Unit –I

Motion in a line with variable acceleration (under some law of velocity ,inverse square law and other laws of acceleration), Simple Harmonic motion, Angular velocity, Tangential and normal components of velocity and acceleration in a plane.

Unit –II

Motion in a plane – Projectile, Range of projection on horizontal & on an inclined plane, Central Orbits(polar and pedal forms), Apses and apsidal distances.

Unit –III

Uniplanar motion – Motion under inverse square law, planetary motion, Kepler's laws (Statement and geometrical implication only), Motion in resisting medium under gravity (only upward and downward motions).

Unit- IV

Impulse, Work, Energy – Impulse of a force, work, power, energy., principle of energy, conservation of linear momentum and energy.

Impact – Direct impact of two elastic bodies, Direct impact of an elastic body on a smooth fixed plane, oblique impact of two perfectly smooth spheres(Direction and magnitudes of velocity components, impulse of blow.).

Unit- V

Dynamics of a rigid body – Moments and product of inertia, theorems of parallel and perpendicular axes, M I about any line in terms of M I and P I about any three mutual perpendicular lines, Principal axes, Principal moments, d' Alembert's principle.

Marks-10

Marks 10

Marks-10

Marks-10

Marks 10

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TOPOLOGY

(Marks -50)

(To answer one question from each unit. Each unit will have provision for internal choice.)

Unit –I

Metric space- Definition and examples , usual metric on \mathbb{R}^n , $n \ge 1$, Open and close sets and Their properties.

Unit –II

Sequences in metric space, Complete metric spaces, Completeness of R, R^2 and R^3 , Compact metric spaces.

Unit –III

Topological space- Definition and examples, lower and upper limit topologies, metric space as a topological space, usual topology on R^n

Unit- IV

Open and closed sets, basis for a topology interior, exterior and boundary points. Continuity & Homeomorphism in metric and topological spaces.

Unit -V

Compactness and connectedness of topological spaces, Heine-Borel theorem in R.

MTMH-403

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Marks-10

Marks 10

Marks-10

Marks 10

NUMERICAL ANALYSIS

(Marks - 35)

(To answer one question from each unit. Each unit will have provision for internal choice.)

Unit –I

Error estimation, types of errors (round off, truncation, relative, absolute), interpolation: forward, backward, divided differences and their relations, Lagrange's interpolation formula.

Unit –II

Newton's forward, Newton's backward interpolation formulae and related problems, errors in interpolation.

Unit –III

Central difference- Bessel's, Sterling's, Gauss' interpolation formulae.

Unit IV

Numerical solutions of algebraic and transcendental equations, Numerical solution of equations: introduction, Bisection method, Regula-falsi method, Functional iteration method, Newton-Raphson method, the geometrical interpretation, convergence and error of all the methods.

Unit-V

Numerical differentiation and integration: Introduction, numerical differentiation using interpolation. Numerical integration for equidistant ordinates, Trapezoidal rule, Simpson's one third rule, Simpson's three-eighth rule.

Marks-7

Marks-7

Marks-7

Marks-7

LINEAR PROGRAMMING PROBLEM

(Marks - 50)

(To answer one question from each unit. Each unit will have provision for internal choice.)

Unit –I

Introduction, brief idea about O.R. and its applications, formation of a L.P.P., different models, Solution by graphical method.

Unit –II

General L.P.P., Convex sets and their properties, Hyper plane, convex functions, special cases of L.P.P.s-multiple optional solution.

Unit –III

Standard forms of L.P.P. feasible, basic, optimal, unbounded solution of the standard L.P.P. by simplex method. Big-M method, Two phase method, Degeneracy in L.P.P.

Unit- IV

Unit-V

Concept of duality formulation of the dual problems, standard result on duality, advantage of duality, Transportation problem, loop in transportation table, method for finding initial solution of a Transportation problem - North-West corner rule, Row minima method, Matrix minima method, Vogel's approximation method.

Degeneracy in Transportation problem, Test for optimality, Modi method for finding optimal solution, Assignment problems and its formulation, Hungarian method of its solution.

Marks-10

Marks 10

Marks-10

Marks-10

Option-I

ADVANCED ALGEBRA

(Marks - 50)

(To answer one question from each unit. Each unit will have provision for internal choice.)

Unit –I Marks-10

Groups : The center of a Group and its properties, Inner Automorphisms; conjugate elements, Conjugacy class.

Unit –II

Normalizer of an elements; class equation, conjugate subgroups, Normalizer of subgroup.

Unit –III

Direct products and Direct product decompositions; Solvable groups.

Unit -IV

Rings, Polynomial rings, Euclidean domains; Unique factorization domains, Embedding of rings.

Unit-V

The field of quotients of an integral domain; Rings with chain conditions-Noetherian and ArtinianRings; modules; Noetherian &Artinian modules.

Marks 10

Marks 10

Marks-10

Option-II

SPECIAL FUNCTIONS

(Marks - 50)

(To answer one question from each unit. Each unit will have provision for internal choice.)

Unit –I

Legendre's equation, Legendre's Polynomials, generating function, Laplace's definite integral for $P_n(x)$

Orthogonal properties and recurrence formulae for $P_n(x)$, Rodrigues formula, Bessel's equation of order 0,1, and n, Bessel's functions for $J_n(x)$, Recurrence formula for $J_n(x)$.

Unit –III

The Laplace transform, the inverse Laplace transform.

Unit -IV

Unit –II

Application of Laplace transform to differential equations of first and second order with constant coefficients only.

Unit-V

Fourier series and Fourier integrals, Fourier transform (infinite), Relation between Laplace and Fourier transforms problems related to Fourier integral.

Marks 10

Marks 10

Marks-10

Marks-10

COMPUTER PROGRAMMING

(Marks -35)

(To answer one question from each unit. Each unit will have provision for internal choice.)

Unit –I

Introduction to C language, C characters, C constants and variables, Arithmetic expression and statements. Input/Output, statements, Assignment statements, printf and scanf statements, Declaration statements.

Simple computer program, Logical expression and statements, logical and relational operators..

Unit –III

Unit –II

Decision control structures, loops, **if** statements **if-else** statements, **,for** statements, **while** statements, **Do-while loop**, **Switch** statements, **break** statements, **continue** statements, command operator, **go to** statements.

Unit- IV

Functions-defining a function, function prototypes, passing arguments to a function.

Unit- V

Return statements Arrays, defining an arrays, multi dimensional arrays.

Marks-7

Marks-7

Marks 7

Marks 7

NUMBER THEORY & TENSORS

(To answer four question taking one from each section. Each section will have provision for internal choice.)

GROUP A **NUMBER THEORY**

(Marks - 30)

Well ordering principle, Principle of finite induction, The Division Algorithm, The Euclidean Algorithm , Divisibility Theory , Linear Diophantine equations, congruence's.

Unit –II

Unit –I

The Chinese Remainder Theorem , Primes and their distribution, Goldbach conjecture, Fermat's Little Theorem, Wilson's Theorem, Euler's Phi (Φ) function, Arithmetic functions $\sigma \& \tau$, The Mobious inversion formula, greatest integer function

Unit –III

Basic combinatorial numbers, basic counting principle, permutations and combinations, the C inclusion & exclusion principle.

Unit -IV

Tensor and its order, summation convention and Kronecker delta, transformations of coordinates, (basic conception only), contravariant and covariant tensor of first and second order.

Unit -V

Addition and subtraction of tensors, contraction, inner and outer product of tensors, Symmetric and skew- symmetric tensors, conjugate symmetric tensor, Quotient law.

Marks-10

Marks-10

Marks-10

Marks 10

Marks 10

GROUP B TENSOR Marks: 20

OPTION-1

ADVANCED ANALYSIS (Marks - 50)

(To answer one question from each unit. Each unit will have provision for internal choice.)

Complete Metrics spaces: Examples of complete and incomplete metric spaces, Rⁿ, C[a,b], lp, $(p \ge 1)$ -spaces.

Unit –II Marks-10

Cantor's intersection theorems; Baire's category theorems; Completion of a metrics space; Compact metrics spaces.

Unit –III Marks-10 Definitions Examples and Simple properties of Banach spaces

Unit -IV

Hilbert spaces, Normed linear spaces; spaces.

Unit -V

Bounded linear transformations- their elementary theorem , Linear functionals; Conjugate spaces.

Unit –I

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Marks-10

Marks 10

OPTION-II

HYDRODYNAMICS

(Marks-50)

(To answer one question each section. Each section will have provision for internal choice.)

Unit –I

Types of fluids(real and ideal fluids), description of fluid motion(Eulerian and Lagrangian methods), stream lines, path lines, velocity potential, irrotational motion

Unit –II

Equation of continuity-Lagrangian and Eulerian forms and their equivalence, Cartesian, polar, and curvilinear forms of equation of continuity.

Unit –III

Stream functions- Definition and simple problems only, Rate of motion - Local and individual rates and their relation, acceleration of a fluid particle (vector form and its equivalence in cartesian and polar forms), Related problems.

Unit -IV

Equation of motion – Equation of motion of an inviscid fluid (Eulerian and Lamb's Hydrodynamics forms), The basic dynamical principles (the principle of linear momentum, angular momentum and energy definition only).

Unit -V

Pressure at a point in moving fluid of known velocity, Bernoulli's theorem (derivation only).

Marks-10

Marks 10

Marks-10

Marks-10

PRACTICAL

(Marks-30)

1. Viva voce	5 Marks
2. Practical Note book	5 Marks
3. Two Experiments	20 Marks

Recommended Books

MTMH-101

Serial No.	Title of the Book	Author
1.	Higher Algebra	Das and Mukherjee
2.	Higher Algebra	B Das
3.	Higher Algebra	Bernard and Child.
4.	Classical Algebra	S.K .Mapa.
5.	Higher Trigonometry	Das and Mukherjee

Serial No.	Title of the Book	Author
1.	Differential Calculus	Das and Mukherjee.
2.	Differential Calculus	Maity and Ghosh
3.	Differential Calculus	Shanti Narayan
4.	Differential Calculus	P.N. Chatterjee
5.	Integral Calculus	Das and Mukherjee
6.	Integral Calculus	Maity and Ghosh
7.	Integral Calculus	Shanti Narayan.

1.	Analytical Geometry	Ghosh and Chakraborty.
2.	Analytical Geometry	J.M. Kar.
3.	Solid Geometry	Shanti Narayan.
4.	Co-ordinate Geometry	S.L. Loney.
5.	Analytical Geometry of two and three Dimensions with vector analysis	B. Das

MTMH-201

1.	Modern Algebra	Surjeet Singh et al.
2.	. University Algebra	Gopal Krishna.
3.	Abstract Algebra	J.B. Fraleigh.
4.	Abstract Algebra	A.R. Kalra

1.	Differential equation	J.M. Kar
2	Differential equation	M.L. Khanna.
3.	Differential equation	M.D. Rai Singhania
4.	Differential equation	J.N. Sharma.
5.	Differential Equation and their Application	Z. Ahsan
6.	Integral Calculus	Das and Mukherjee

7.	Integral Calculus	Maity and Ghosh
8.	Integral Calculus	Shanti Narayan.

1.	Vector Analysis	Maity and Ghosh.
2.	Vector Analysis	Shanti Narayan
3.	Vector Calculus	Shanti Narayan
4.	Fundamentals of Computers	V. Rajaraman
5.	Fundamentals of Computers	Vasundra
6.	Fundamentals of Computers	Sinha and Sinha
7.	DOS Guide	Peter Norton

MTMH-301

1.	Mathematical Analysis	Shanti Narayan
2.	Advanced Analysis	David Widder
3.	Principle of real Analysis	S,C.Malik and S.Arora
4.	Analysis (Part I & II)	S,C.Malik

1.	Statics	S.L.Loney.
2.	Statics	J.M. Kar
3.	Statics	P.N.Chatterjee
4.	Statics	A.R Vasistha & M.K.

1.	Topics in Algebra	I.N.Herstein.
2.	A First Course in Linear algebra	Bhattacharjee ,Jain and Nagpal.
3. 4. 5.	Linear Algebra Linear Algebra Linear Algebra	J.N.Sharma Hoffman & Kunze. S.D.Sharma
6.	Theory and Problems of Linear Algebra	Seymour Lipschutz
	MTMH-401	
1.	Function of Complex Variable	Copson
2.	Complex Variable (Schaum out line Series)	Spiegel
3.	Complex Analysis	B.S.Tyagi

MTMH-402

1.	Dynamics	M. Roy & H.S. Sharma
2.	. Dynamics of particles	S.L Loney
3.	. Dynamics of particles	A.R.Vasistha.
4.	. Dynamics of particles	A.S. Ramsey.
5.	Rigid Dynamics	B.D. Sarma.
6.	Rigid Dynamics	P.P. Gupta.
7.	Dynamics	P.N.Chatterjee
8.	Rigid Dynamics	R,K,Gupta

1.	Topology and Modern Analysis	G.F.Simmons.
2.	Topology	J.N Sharma.

3.	Topology	B.D. Gupta
4.	Topology	R.S.Agarwal.
5.	Topology	Munkers

	MTMH-502	
6.	Numerical Analysis	A.R.Vasistha
5.	Numerical Analysis	Scarborough
4.	Calculus of Finite Difference and Numerical Analysis	P.P.Gupta and G.S. Malik.
3.	Finite Difference and Numerical Analysis	H.S. Saxena.
2.	Introductory method to Numerical Analysis	S.S. Sastry.
1.	Numerical Analysis	Hildebrand.

1.	Linear programming	Shenoy.
2.	Linear programming	G. Hedley.
3.	Linear programming	Kanti Swarup , P.K.Gupta
4.	Operation Research	R.K.Gupta
5.	Operation Research	Kanti Swarup ,Manmohan

MTMH-503

1.	Modern Algebra	Surjeet Singh, Zameeruddin
2.	Abstract Algebra	J.B. Fraleigh
3.	A Course in Abstract Algebra	Khanna & Bhambri
4.	Topics in Algebra	I.N. Herstein
5.	Special Functions	B.D, Sharma
6.	Special Functions	J.N.Sharma & R. K.Gupta
7.	Special Functions	K.P.Gupta
8.	Special Functions	M.D.Raisinghania

1.	The Spirit of C	Mullish Cooper
2.	The C Programming Language	B.W Kernighan and
3.	Programming in ANSI C	D.M.Ritchie Ram Kumar and
		D.M.Ritchie Ram Kumar and Rakesh Agrawal
4.	Programming with C	Gottfried

1.	Mathematical Analysis	S.C.Malik & S.Arora
2.	Introductory Functional Analysis with	E. Kreyszig
3.	Functional Analysis	B.V.Limayee

1.	Hydrodynamics	Shanti Swarup
2.	Hydrodynamics	M.D.Raisinghania
3.	Hydrodynamics	B, D. Sharma